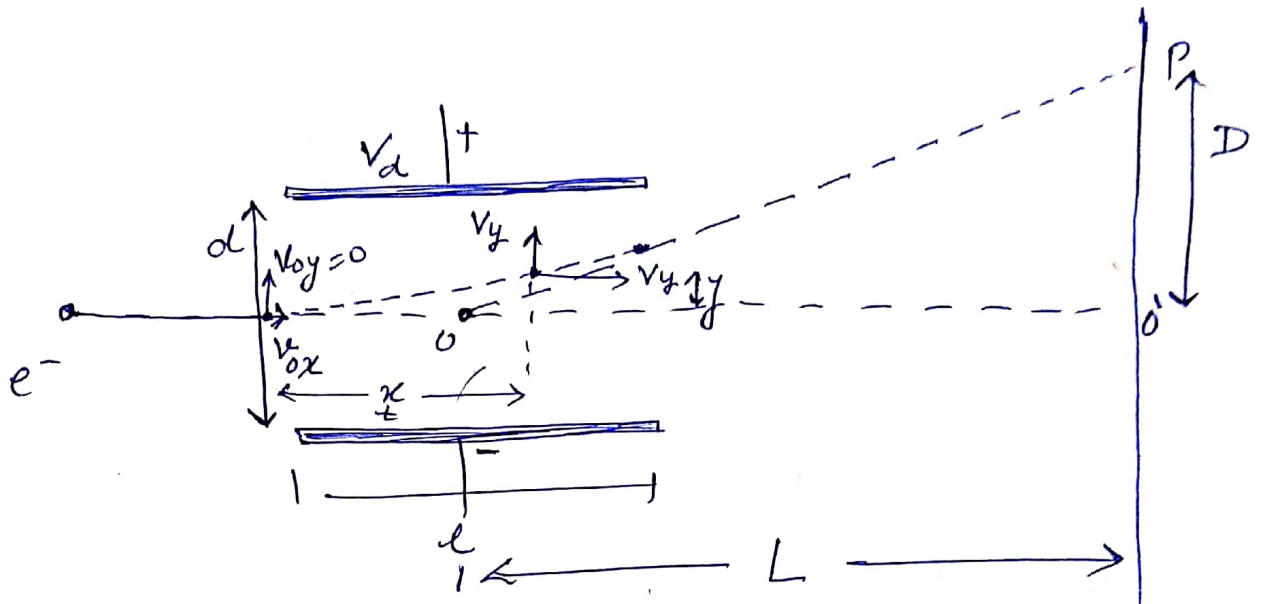


# Deflection sensitivity of CRT.

(1)



Deflection sensitivity of CRT is defined as the deflection produced on the screen per unit voltage applied at the vertical deflection plates.

Consider the vertical deflection plates having length ' $l$ ' separated by distance ' $d$ '. Let the  $e^-$  be moving with in  $x$  direction. When it enters the vertical deflection plates (VDP), let its velocity be  $v_{0x}$  in  $x$ -direction while velocity in  $y$  direction be  $v_{0y} (= 0)$ . The force experienced by  $e^-$  in  $y$  direction due to electric field ' $E_y$ ' be  $F_y$  then

$$F_y = -eE_y$$

②

$$m a_y = -e E_y$$

$$a_y = \frac{-e E_y}{m} \text{ --- (1) } \quad (a_y - \text{acceleration in } y \text{ direction.})$$

(e - charge of  $e^-$ )

(m - mass of  $e^-$ )

Let the distance travelled in y-direction by the electron in time 't' be 'y' then

$$y = v_{oy} t + \frac{1}{2} a_y t^2$$

$$y = 0 + \frac{1}{2} a_y t^2$$

$$y = \frac{1}{2} a_y t^2 \text{ --- (2)}$$

① in ②

$$y = \frac{1}{2} \left( \frac{-e E_y}{m} \right) t^2 \text{ --- (3)}$$

Eq<sup>n</sup> (3) represents the variation in distance (y) in y direction with time. Since  $y \propto t^2$ , the path traced by  $e^-$  within VDP is parabolic.

Let the distance travelled by  $e^-$  in x direction be 'x' in time 't' then

$$t = \frac{x}{v_{ox}} \text{ --- (4)}$$

$$\text{④ in ③ } y = \frac{1}{2} \left( \frac{-e E_y}{m} \right) \left( \frac{x}{v_{ox}} \right)^2 \text{ --- (5)}$$

Let the tangent drawn at the point when  $e^-$  leaves the VDP meet the centre point O at an angle  $\theta$  with x-axis then

$$\tan \theta = \frac{D}{L} \quad \text{--- (6) from } \Delta OPO'$$

Also from eq. (5)

$$\left( \frac{dy}{dx} \right)_{x=L} = \left( \frac{-eEy}{mU_{on}^2} \right) l \quad \text{--- (7)}$$

Equating (6) & (7) as both represents the slope of line OP i.e

$$\frac{D}{L} = \left( \frac{-eEy}{mU_{on}^2} \right) l$$

$$D = \frac{-eLlEy}{mU_{on}^2} \quad \text{--- (8)}$$

Also  $E_y = \frac{V_a}{d}$

$$\therefore D = \left( \frac{-eLl}{mU_{on}^2} \right) \left( \frac{V_a}{d} \right) \quad \text{--- (9)}$$

Let  $V_a$  be the accelerating voltage at accelerating grids then

$$\frac{1}{2} mU_{on}^2 = eV_a$$

$$\text{or } mU_{on}^2 = 2eV_a \quad \text{--- (10)}$$

(10) in (9)

(4)

$$D = \frac{L l V_d}{2 V_a d} \quad \text{--- (11)}$$

$$\therefore \frac{D}{L} = \frac{l V_d}{2 V_a d} \quad \text{--- (12)}$$

we According to the definition of deflection sensitivity (S)

$$S = \frac{D}{V_d}$$

$\therefore$  from (12)  $S = \frac{L l}{2 V_a d}$